



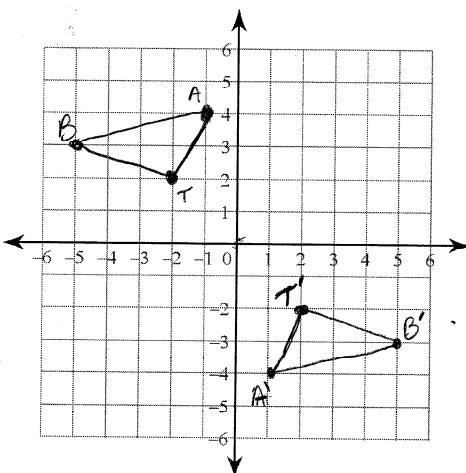
## Geometry – Rotations

Name: Kay

Every time you are told to rotate a shape, what three pieces of information do you need to know about the rotation?

- The center of rotation (a point)
- The angle of rotation (a positive number of degrees)
- The direction (clockwise or counterclockwise)

1) Rotate  $\triangle BAT$  where  $B(-5, 3)$ ,  $A(-1, 4)$ , and  $T(-2, 2)$   $180^\circ$  clockwise about the origin.



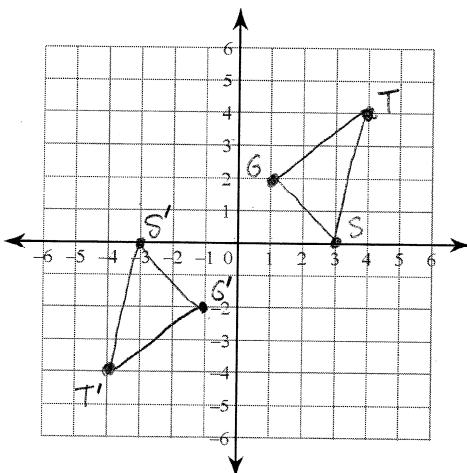
$$\begin{array}{ll} B(-5, 3) & B'(5, -3) \\ A(-1, 4) & A'(1, -4) \\ T(-2, 2) & T'(2, -2) \end{array}$$

Describe how you did the rotation:

Describe what happened to the coordinates of each point:

All coordinates became opposites.  
 $(x, y) \rightarrow (-x, -y)$

2) Rotate  $\triangle GST$   $G(1, 2)$ ,  $S(3, 0)$ , AND  $T(4, 4)$   $180^\circ$  counterclockwise about the origin.



$$\begin{array}{ll} G(1, 2) & G'(-1, -2) \\ S(3, 0) & S'(-3, 0) \\ T(4, 4) & T'(-4, -4) \end{array}$$

Describe how you did the rotation:

Describe what happened to the coordinates of each point:

All coordinates became opposite,  
except 0.  
 $(x, y) \rightarrow (-x, -y)$

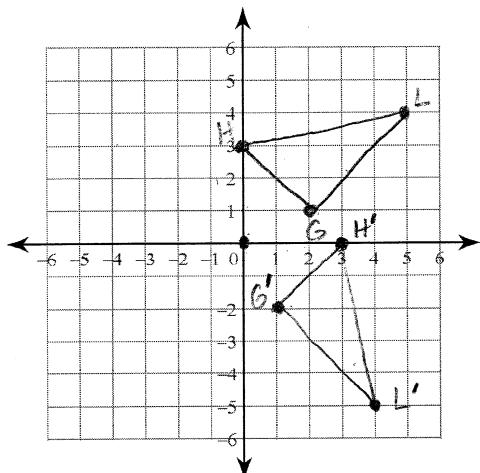
When you rotate a shape  $180^\circ$ , does it matter if you go clockwise or counterclockwise? NO, because

either way it's halfway around so it ends up at the same location.

Write a rule for what happens when you rotate a shape  $180^\circ$  about the origin.

$$(x, y) \rightarrow (-x, -y)$$

- 3) Rotate  $\triangle GHL$ , where  $G(2,1)$ ,  $H(0,3)$ , and  $L(5,4)$ ,  $90^\circ$  clockwise about the origin.



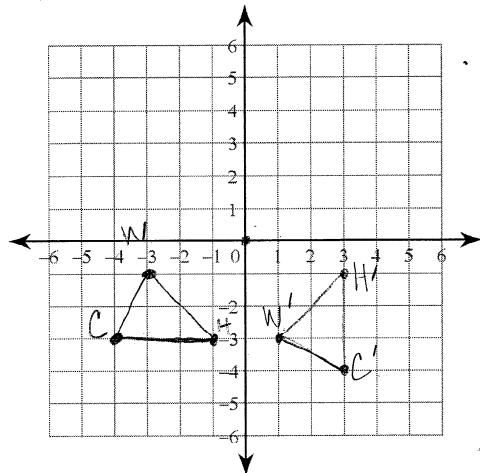
$$\begin{array}{ll} G(2, 1) & G'(1, -2) \\ H(0, 3) & H'(3, 0) \\ L(5, 4) & L'(4, -5) \end{array}$$

Describe how you did the rotation:

Describe what happened to the coordinates of each point:

The coordinates switched and the new  $x$ -coordinates became opposite.  $(x, y) \rightarrow (-y, x)$

- 4) Rotate  $\triangle WCH$ , where  $W(-3, -1)$ ,  $C(-4, -3)$ , and  $H(-1, -3)$ ,  $90^\circ$  counterclockwise about the origin.



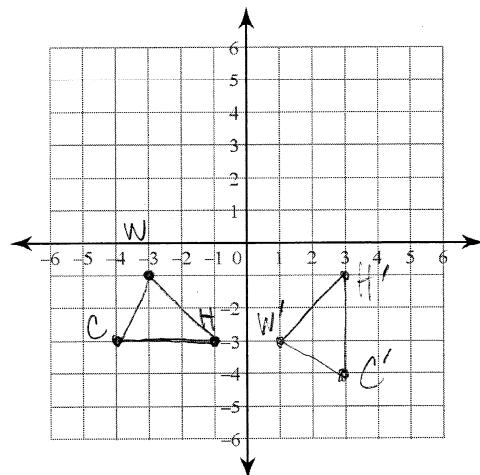
$$\begin{array}{ll} W(-3, -1) & W'(1, -3) \\ C(-4, -3) & C'(3, -4) \\ H(-1, -3) & H'(2, -1) \end{array}$$

Describe how you did the rotation:

Describe what happened to the coordinates of each point:

The coordinates switched and the new  $x$ -coordinates became opposite.  $(x, y) \rightarrow (-y, x)$

- 5) Rotate  $\triangle WCH$ , where  $W(-3, -1)$ ,  $C(-4, -3)$ , and  $H(-1, -3)$ ,  $270^\circ$  clockwise about the origin.



$$\begin{array}{ll} W(-3, -1) & W'(1, -3) \\ C(-4, -3) & C'(3, -4) \\ H(-1, -3) & H'(2, -1) \end{array}$$

Describe how you did the rotation:

$$(x, y) \rightarrow (-y, x)$$

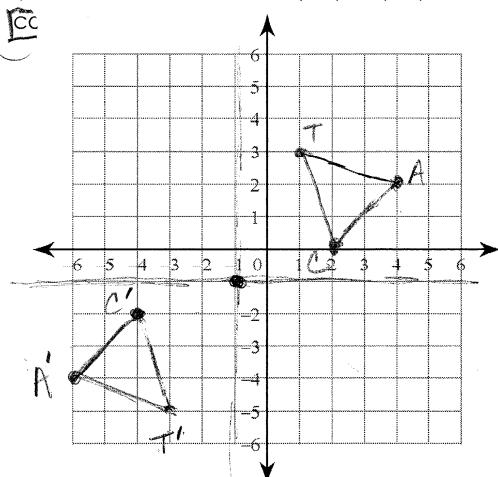
How does this relate to rotating  $\triangle WCH$   $90^\circ$  counterclockwise about the origin?

Same rotation

## Symmetry – Rotations

Name: \_\_\_\_\_

- 5) Rotate  $\triangle CAT$ , where  $C(2,0)$ ,  $A(4,2)$ , and  $T(1,3)$ ,  $180^\circ$  clockwise about the point  $(-1,-1)$ .



$$\begin{array}{ll} C(2, 0) & C'(-4, -2) \\ A(4, 2) & A'(-6, -4) \\ T(1, 3) & T'(-3, -5) \end{array}$$

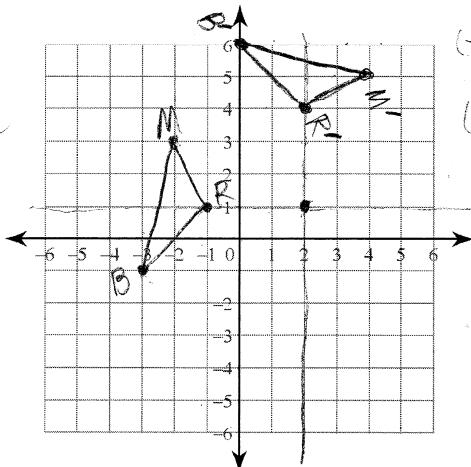
Describe how you did the rotation:

Drew lines through  $(-1,-1)$  like  
a new  $x$ -axis +  $y$ -axis, then used  
those lines to help rotate,  
How is this different from rotating  $180^\circ$  about the origin?

The figure moves further away  
from the origin.

$$(x, y) \rightarrow (-x-2, -y-2)$$

- 6) Rotate  $\triangle BRM$ , where  $B(-3,-1)$ ,  $R(-1,1)$ , and  $M(-2,3)$ ,  $90^\circ$  clockwise about the point  $(2,1)$ .



$$\begin{array}{ll} (-3, -1) & B'(3, -1) \\ (-3, 0) & R'(-1, 1) \\ (-4, 2) & M'(2, 3) \end{array}$$

Describe how you did the rotation:

I drew lines through  $(2,1)$  and use  
those lines as my new  $x$ -axis +  $y$ -axis,  
then rotated around the point  $(2,1)$ .

How is this different from rotating about the origin?

The figure moves further away  
from the origin.

Use the following space to describe how to do a rotation about a point:

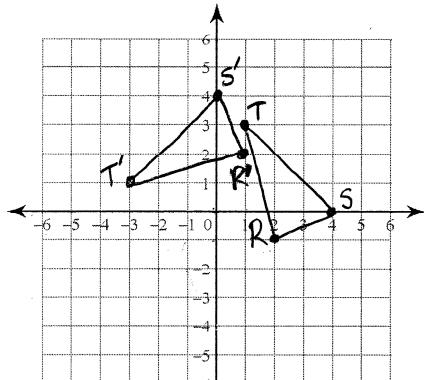
What stays the same when you do a rotation? Figures are  $\cong$

Does the distance from the center of rotation change during a rotation? NO

Framework

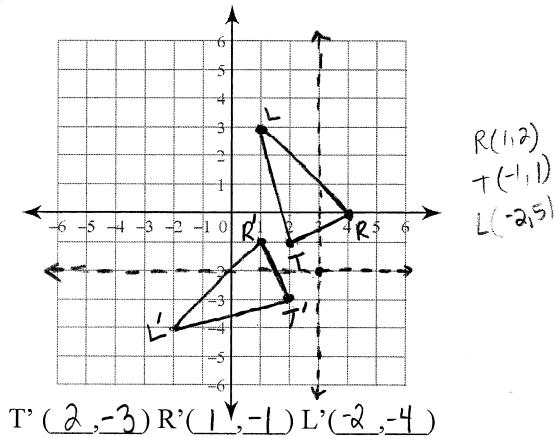
$$(x, y) \rightarrow (-y, x)$$

- 1)  $\triangle RST$ :  $R(2, -1)$ ,  $S(4, 0)$ , and  $T(1, 3)$   $90^\circ$  counter clockwise about the origin.

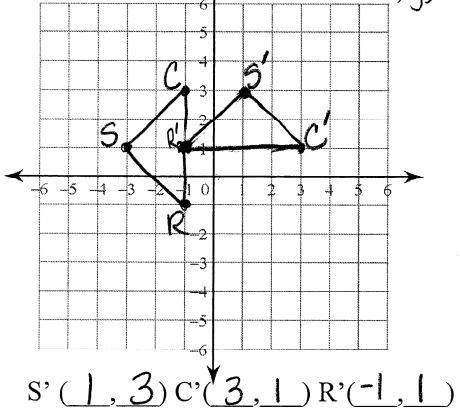


$$R'(-1, 2) S'(0, 4) T'(-3, 1)$$

- 3)  $\triangle TRL$ :  $T(2, -1)$ ,  $R(4, 0)$ , and  $L(1, 3)$   $90^\circ$  counter clockwise about the point  $(3, 2)$



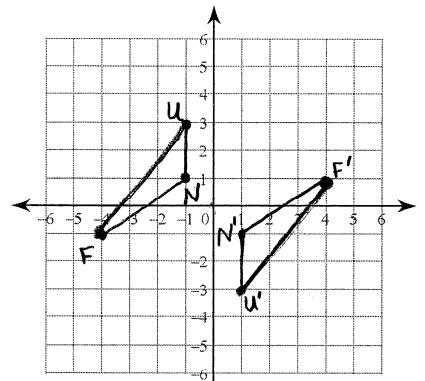
- 5)  $\triangle SCR$ :  $S(-3, 1)$ ,  $C(-1, 3)$ , and  $R(-1, -1)$   $90^\circ$  clockwise about the origin.  $(x, y) \rightarrow (y, -x)$



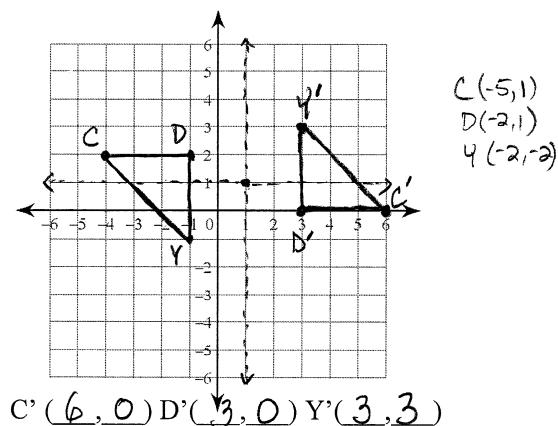
$$S'(1, 3) C'(-3, 1) R'(-1, 1)$$

Rotate each triangle as indicated by each problem.

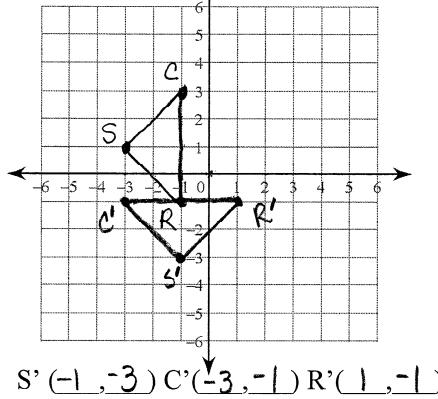
- 2)  $\triangle FUN$ :  $F(-4, -1)$ ,  $U(-1, 3)$ , and  $N(-1, 1)$   $180^\circ$  clockwise about the origin.



- 4)  $\triangle CDY$ :  $C(-4, 2)$ ,  $D(-1, 2)$ , and  $Y(-1, -1)$   $180^\circ$  counter clockwise about the point  $(1, 1)$



- 6)  $\triangle SCR$ :  $S(-3, 1)$ ,  $C(-1, 3)$ , and  $R(-1, -1)$   $90^\circ$  counter clockwise about the origin.  $(x, y) \rightarrow (-y, x)$



$$S'(-1, -3) C'(-3, 1) R'(-1, 1)$$